

**Statistical Physics Of Liquids at Freezing and Beyond**  
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**Errata**

- Page 14 : Eqn. (1.2.20) the left hand side  
 $\dots = -\ln \mathcal{Z}_N - \beta \bar{H}$ ,
- Page 16 : Eqn. (1.2.35) the right hand side

$$\dots = - \sum_{N=0}^{\infty} \frac{1}{h^{3N} N!} \int \dots$$

- Page 16 : Eqn. (1.2.32) the left hand side  
 $\dots = -\ln \Xi - \beta \bar{H} + \dots$
- Page 18 : Eqn. (1.2.49) the left hand side  $-k_B T \ln \Delta$
- Page 18 : line below Eqn. (1.2.51) "... with the dimension of inverse volume introduced ..."
- Page 21 : Eqn. (1.2.61) the last integral  $\dots \int_{-1}^{+1} d\mathbf{r}'_N \exp \dots$
- Page 49 : Eqn. (1.3.74) the RHS is  $-R'_{ba}(-\omega)$
- Page 49 : Eqn. (1.3.75) the RHS is  $R''_{ba}(-\omega)$
- Page 51 : 2nd line below Eqn. (1.4.4)  $v_0 \Rightarrow v_i^0$ .
- Page 52 : 2nd line above Eqn. 1.4.12,  
 "eqn. (1.4.11) are"  $\Rightarrow$  "eqn. (1.4.10) are"
- Page 53 : Eqn. 1.4.22 the LHS is

$$\langle \frac{d}{dt} \mathbf{x}_i(t) \frac{d}{dt'} \mathbf{x}_i(t') \rangle$$

- Page 53 : Eqn. 1.4.23 in the RHS the factor  $\frac{k_B T}{\zeta} \Rightarrow k_B T$ .
- Page 53 : Below Eqn. 1.4.27 in line 3 and 4 all the  $\bar{D}_0 \Rightarrow D_0$ .
- Page 53: LHS of Eqn. 1.4.28,  $\bar{D}_0 \Rightarrow D_0$
- Page 54 : Eqn. 1.4.27 the RHS  $2\bar{D}_0(t - t_0) \Rightarrow 2D_0(t - t_0)$ .
- Page 57 : The line above eqn. A1.3.5 should be

$$= \bar{D}_0 \frac{e^{-\zeta(t+t')}}{2\zeta} \left[ \theta(t-t') \{ e^{2\zeta t'} - e^{2\zeta t_0} \} + \theta(t'-t) \{ e^{2\zeta t} - e^{2\zeta t_0} \} \right]$$

- Page 57 : Each one of the last three lines of eqn. A1.3.6 has a overall factor of  $\zeta^{-1}$  missing.
- Page 66: Eqn. (2.1.32) has negative sign on RHS
- Page 67: Eqn. (2.1.36) both has negative sign on RHS
- Page 110 : Second line below Eqn. (A2.3.5): "... direct correlation function of a liquid of density  $\bar{n}_0(\mathbf{x})$ ."
- Page 118 : Eq. (3.1.1): Right hand side all terms within a bracket

$$\Delta G = \sum_i [N_i \Delta G_i + k_B T [\dots]]$$

- Page 121 : Below Eq. (3.1.20): "The maximum at  $i = i^*$  in free ..."
- Page 133 : In Eqn. (3.2.10) "for  $\psi > \psi_c$ "; and in Eqn. (3.2.11) "for  $\psi < \psi_c$ ".
- Page 160 : In Eqn. (A3.1.1) left hand side is

$$\frac{1}{r^2} \frac{d}{dr} \left[ r^2 \frac{d\mathcal{Y}}{dr} \right] = \alpha^2 \mathcal{Y} .$$

- Page 171: Eqn. (4.1.10) in the denominator  $\prod_i N_i \Rightarrow \prod_i N_i!$
- Page 199: In Eqn. (4.4.9) and in the line above it,  $\psi$  and  $\delta\rho$  have in their respective arguments  $\mathbf{q}$  instead of  $\mathbf{x}$ . Thus  $\psi(\mathbf{q}, t) \equiv \delta\rho(\mathbf{q}, t)\delta\rho(-\mathbf{q}, t)$ .
- Page 218: In Eqn. (5.2.19) in the first equality there is no integral sign on the right hand side:

$$\eta_0 = \frac{\beta}{2} \lim_{\omega \rightarrow 0} \lim_{k \rightarrow 0} \frac{\omega^2}{k^2} G_T(k, \omega)$$

- Page 255: Eqn. (5.4.53) The RHS is

$$2k_B T \delta_{ij} \delta(\mathbf{x} - \mathbf{x}') \delta(t - t') \Upsilon_0$$

- Page 261: Eqn. (A5.1.5) the right hand side is  $\nabla_j [\Delta_{\alpha\beta} \Phi_{\alpha\beta}^{ij}]$ .
- Page 261: Eqn. (A5.1.8) the right hand side has

$$\sum_j \nabla_j \left\{ \dots + \frac{1}{2} \sum'_{\alpha\beta} \Delta_{\alpha\beta} \left[ (r_{\alpha\beta} \cdot F_{\alpha\beta}) \hat{r}_{\alpha\beta}^i \hat{r}_{\alpha\beta}^j \right] \right\}$$

- Page 305 : Below Eqn. (6.3.5)  $g_{ij} = \sqrt{2k_B T} \delta_{ij}$ .
- Page 308 Eqn. (6.3.22) the second term in the square bracket has the last part as :  $\tilde{U}(\mathbf{x} - \mathbf{x}') \hat{\rho}(\mathbf{x}', t)$
- Page 308 Eqn. (6.3.23) the RHS has last part as  $\{\delta(\mathbf{x} - \mathbf{x}') \hat{\rho}_s(\mathbf{x}, t)\}$
- Page 308 line above Eqn. (6.3.24) "and momentum  $\mathbf{p}_\alpha$  of the  $N$ -particle system ...
- Page 381: left hand side of Eqn. (8.1.89)  $\Phi_s(q, z) = ..$ "

- Page 386 : Line 10 from bottom, the expression for  $\chi(t)$

$$\chi(t) = \langle |\delta\rho(k_m, t)\delta\rho(-k_m, 0)|^2 \rangle / \langle |\delta\rho(k_m)\delta\rho(-k_m)|^2 \rangle$$

- Page 491 In Section (10.2.1) in the Eq. (10.2.1)-(10.2.6) the vector signs like  $\vec{r}$  appears, instead of the notation of using bold face for vector  $\mathbf{r}$ , followed in the text in this Book.
- Page 431 In Eqn. (A.8.1.5) second equality for  $\mathcal{I}_4$  is  

$$= -\frac{1}{2} \int d\mathbf{x} \int d\mathbf{x}' c(|\mathbf{x} - \mathbf{x}'|)$$
- Page 511 In the last paragraph the sentences starting from "It is straightforward to establish that at higher ..... the solution of eqns. (10.4.21)-(10.4.22)." should be deleted.
- Page 513 In the line above Eq. (10.4.33), the equation in the text is  
 " , and  $\mathcal{A}^{-1} = a_1\mathbf{I} + a_2\mathbf{E}$ , the following ..." .
- Page 513 Eqn. (10.4.34) right hand side should have both sign positive

$$\dots = \left[ \frac{a_2}{a_1 + a_2} \right] + \ln \left[ \frac{a_1}{a_1 + a_2} \right]$$

- Page 514 In the line above Eq. (10.4.37), the equation in the text is  
 " , and  $\Delta_s(x) = -x - \ln(1 - x)$  and the function  $\Phi_1$  is ....
- Page 514: Eqn. (10.4.38) second term on the right hand side  

$$\dots r_0\phi^2(x) + \frac{u}{2}\phi^4(x) \dots$$
- Page 518 Eqn. (10.4.62) right hand side has the form :

$$\dots = -x - \ln(1 - x) .$$

- Page 541 The reference beginning "Bengtzelius ... " last author is "A. Sjölander"
- Page 544 : In the last two references under Das, *i.e.*, in Das 1999 and Das 2004, in the author name "and R. Schilling" should be dropped.
- Page 547 : 3rd Reference : Goldstein, M., 1969, J. Chem. Phys. **51**, 3728.
- Page 550: Ref. Loh, K., K. Kawasaki, A.R.Bishop, ....